

# Calculations

the Weinberg distorted waves

## 1. Constructions of the $\chi_i^W$ from the CDCC wave function

- solve the CDCC equations using nucleon optical potentials
- the optical potentials:  $U_n, U_p \rightarrow$  taken from the KD02 systematics
- discretize the s-wave n-p continuum to compute the bin states  $\phi^{bin}$

## 2. Using the coefficients $C_{ij}$

- with the coefficients  $C_{ij}$  given by

$$C_{i0} = - \left\langle \phi_i^W \left| V_{np} \right| \phi_d \right\rangle \quad (i \neq 1)$$

$$C_{ij} = - \left\langle \phi_i^W \left| V_{np} \right| \phi_j^{bin} \right\rangle \quad (i, j = 1, 2, \dots)$$

- then the Weinberg state

$$\chi_i^W(\mathbf{R}) = C_{i0} \chi_0(\mathbf{R}) + \sum_{j=1} C_{ij} \chi_j^{bin}(\mathbf{R})$$

# Calculations

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The result of  $\chi_i^W$

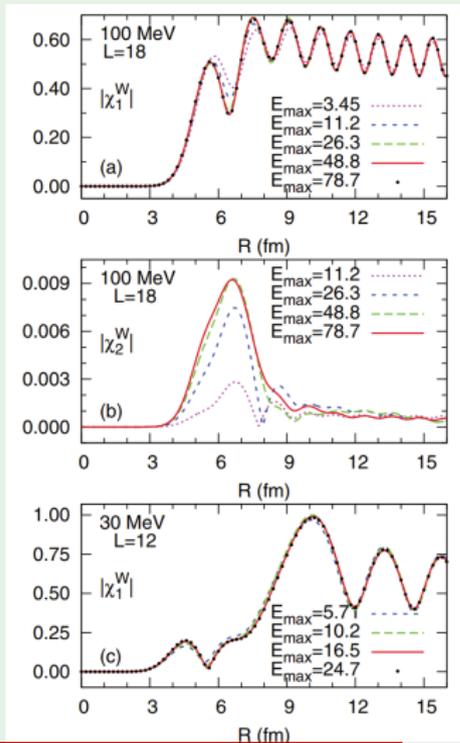


Figure 1: Selected partial waves of the Weinberg components  $\chi_i^W$  for the  $^{132}\text{Sn}(stannum)(d, p)^{133}\text{Sn}(stannum)$  reaction, with different maximum n-p continuum energy and different partial wave values  $L$ .

- good convergence with respect to n-p continuum energy
- the value of  $\chi_1^W$  is significantly larger than that of  $\chi_2^W$  in the selected region.

# Calculations

the Weinberg distorted waves

the dominance of  $\chi_1^W$

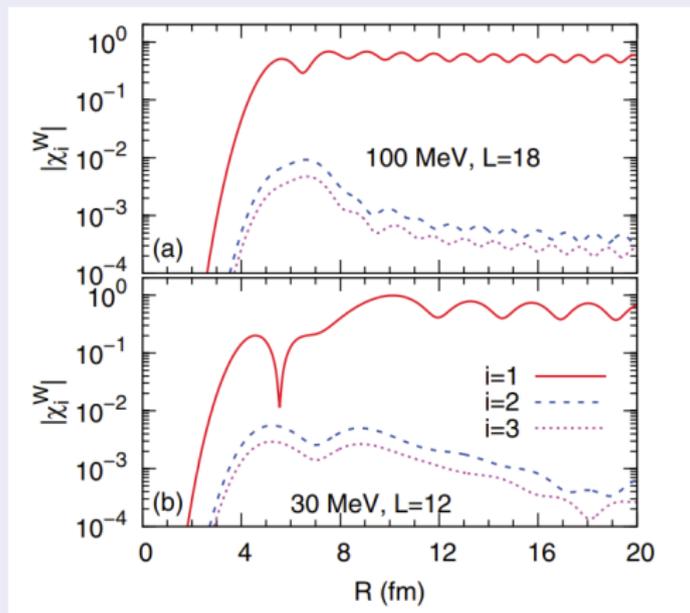


Figure 2: Calculated Weinberg distorted waves  $\chi_i^W$  for  $E_d = 100 \text{ MeV}$  and  $E_d = 30 \text{ MeV}$  in the  $^{132}\text{Sn}(stannum)(d,p)^{133}\text{Sn}(stannum)$  reaction, demonstrating the dominance of  $\chi_1^W$ .

# Calculations

differential cross sections

DW $\chi_i A$  cross sections  $\rightarrow$  the dominance of  $\chi_1^W$

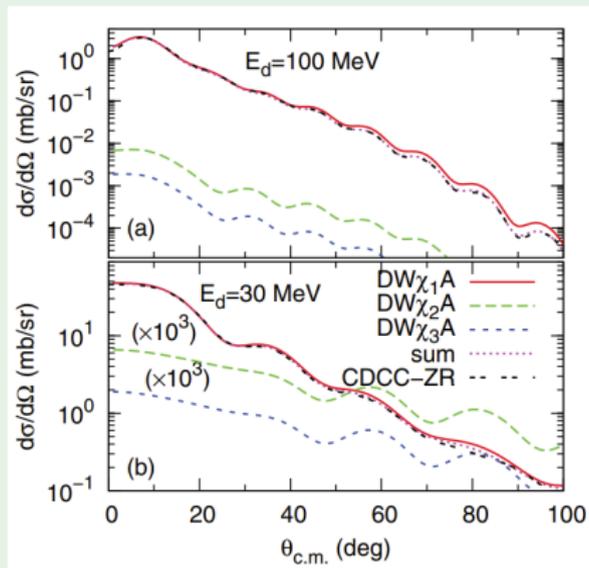


Figure 3: The differential cross sections for the  $^{132}\text{Sn}(stannum)(d,p)^{133}\text{Sn}(stannum)$  reaction, using Weinberg distorted wave components  $\chi_1^W, \chi_2^W, \chi_3^W$ , the CDCC calculations and the sum of DW $\chi_i A$  fit very well

# Conclusion

## Conclusion 1

The dominant effects of deuteron breakup on the calculations of  $(d, p)$  reaction observables can be accommodated with one-channel distorted wave calculation.

## Conclusion 2

The one-channel distorted-wave calculation corresponds to the dominance of  $\chi_1^W$ .

## Conclusion 3

These calculations go beyond the DWBA method because no Born approximation is involved.

- Maybe optimizing the calculation of the Weinberg states is more important than showing the convergence, because there are many bin states selected from CDCC.



# Thank You!